

# Modeling of Stress Ratio Effect on Al Alloy SAE AMS 7475-T7351: Influence of Loading Direction

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The main goal of this work was to evaluate the effectiveness of Walker's equation in collapsing the fatigue crack propagation data of a SAE AMS 7475-T7351 aluminum alloy loaded either longitudinally (L-T) or transversely (T-L) to the rolling direction. T-L orientation testpieces presented lower ductility and fracture toughness values than L-T orientation. As a consequence, during the fatigue crack propagation tests, T-L testpieces exhibited a stronger influence of monotonic modes of fracture, resulting in higher Paris exponent values,  $m$ . Walker's model was able to collapse fatigue crack propagation data of L-T test pieces at different applied stress ratios,  $R$ . However, for the T-L orientation, due to the  $R$  ratio dependency on  $m$  and  $C$ , simply averaging of  $m$  values for the calculations of Walker's exponent proved to be inefficient. A simple analytical procedure was proposed by the authors to modify Walker's model to take into account such effect. For T-L test pieces, when Walker's model is modified by considering both Paris's exponent as well the coefficient as a function of the  $R$  ratio, the fatigue crack growth data collapses within a narrow band, thus allowing predictions to be made satisfactorily. The collapsed band is even narrower if the empirical relation  $m = a + b \log C$  is used instead of simple polynomial equations due to a better correlation coefficient.

**Keywords** aluminum alloy, fatigue crack propagation,  $R$  ratio, Walker's model

## 1. Introduction

Aluminum alloys are widely used in the aerospace industry due to their high specific strength. In particular, the 7xxx series has been used for structural applications, such as airframes. During flight operation, the aircraft is subjected to variable amplitude loading conditions, which in other words means that when a crack is present, the material experiences a wide range of stress intensity factor ranges ( $\Delta K$ ) and stress ratios ( $R$ ). To make accurate life predictions, equations taking into account  $R$  ratio effects on the fatigue crack propagation rate ( $da/dN$ ) must be used. Over the past 40 years, several researchers have attempted to model the fatigue crack growth behavior of materials to take into account the  $R$  ratio effect by using either empirical, physical, or closure approaches (Ref 1–10). In particular, Walker (Ref 11) proposed an empirical relation where an effective stress,  $\bar{S}$ , is capable of predicting the effect of  $R$  ratio on  $da/dN$ :

$$\bar{S} = (1 - R)^{-(1-w)} \Delta S \quad (\text{Eq 1})$$

where  $\Delta S$  is the applied stress range,  $w$  is the Walker exponent that is assumed to be a material constant dependent on the  $R$  ratio. This equation can be rewritten in terms of an effective stress intensity factor range,  $\bar{\Delta K}$ :

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$$\bar{\Delta K} = (1 - R)^{-(1-w)} \Delta K \quad (\text{Eq 2})$$

It is important to note that if  $R = 0$ , then,  $\bar{\Delta K}$  (i.e., Walker's equation collapses the fatigue crack growth data at  $R = 0$ ). Then, the Paris-Erdogan equation can be modified accordingly:

$$\frac{da}{dN} = C_0 (\bar{\Delta K})^{m_0} = C_0 (1 - R)^{-(1-w)m_0} (\Delta K)^{m_0} \quad (\text{Eq 3})$$

### List of Symbols

$C$	Paris coefficient
$C_0$	Paris coefficient for $R = 0$
$da/dN$	crack growth rate
$K$	applied stress intensity factor
$K_{\max}$	maximum applied stress intensity factor
$K_Q(5\%)$	provisional fracture toughness measured by the 5% tangent drop method
$K_{IC}$	mode I plane strain fracture toughness
$m$	Paris exponent
$m_0$	Paris exponent for $R = 0$
$R$	applied stress ratio
$r^2$	coefficient of correlation
RA	area reduction
$S$	applied stress
$S_{ys}$	0.2% offset yield stress
UTS	ultimate tensile strength
$w$	Walker's exponent
$\Delta K$	applied stress intensity factor range
$\bar{\Delta K}$	Walker's effective stress intensity factor range
$\Delta S$	applied stress range
$\bar{\Delta S}$	Walker's effective stress range
$\epsilon_f$	total elongation to failure

**Table 1 Chemical analysis results (wt.%)**

Zn	Mg	Cu	Cr	Fe	Si	Ti	Al
5.79	1.95	1.76	0.24	0.07	0.05	0.05	Balance

where  $C_0$  and  $m_0$  are the Paris coefficient and exponent respectively, noting that  $C_0 = C_{R=0}$  and  $m_0 = m_{R=0}$ .

According to Rosenfeld (Ref 12), Eq 1 to 3 can be applied in cases where the fatigue crack growth lines are parallel. Consequently the Paris exponent  $m$  is constant regardless of the  $R$  ratio. In the analytical procedure proposed by Zheng and Powell (Ref 13), small differences in  $m$  are considered by averaging the values at the different  $R$  ratios. Therefore, the term  $C_0(1 - R)^{-(1-w)m_0}$  in Eq 3 is the Paris coefficient,  $C$ , for a specific  $R$  ratio:

$$C = C_0(1 - R)^{-(1-w)m_0} \quad (\text{Eq 4})$$

Applying logarithmic transformation on both sides:

$$\log C = \log C_0 - (1 - w)m_0 \log(1 - R) \quad (\text{Eq 5})$$

where  $\log C_0$  and  $-(1-w)m_0$  are the equation coefficients that are obtained through linear regression analysis of the  $\log C$  versus  $\log(1-R)$  plot, thus allowing  $w$  to be calculated.

The main purpose of this work was to evaluate the effectiveness of Walker's approach in collapsing  $da/dN$  data of a SAE AMS 7475-T7351 aluminum alloy loaded either longitudinally (L-T) or transversely (T-L) to the rolling direction. Depending on the loading direction, the material shows a different behavior for the fracture toughness and its effect on Walker's approach can be assessed.

## 2. Experimental Procedures

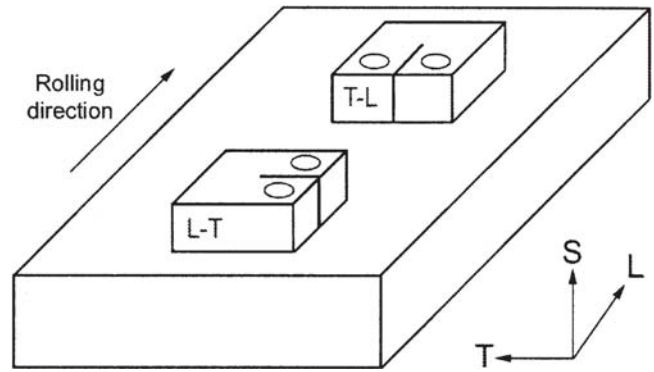
The material of this study was supplied by EMBRAER-Brazil and consists of a 60 mm thick plate of 7475-T7351 aluminum alloy. The chemical composition given in Table 1 shows that the values are within those specified by SAE AMS 2355 standard (Ref 14).

C(T) test pieces for fracture toughness and fatigue crack propagation tests were machined by electro-discharge machining in two different orientations, as depicted schematically in Fig. 1. For the fracture toughness tests, a fatigue precrack was introduced. The final maximum applied stress intensity factor during precracking was less than 60% of the estimated  $K_{IC}$  of the material. The fracture toughness tests were performed in accordance to ASTM E1820-01 (Ref 15), in air, at room temperature in both orientations (L-T, T-L). Tensile tests were also performed in both orientations, in air at room temperature, at a crosshead speed of 5 mm/min according to ASTM E8M-00 (Ref 16). Fatigue crack growth tests were performed according to ASTM E647-00 (Ref 17), in air, at room temperature, under constant load range,  $R$  ratios of 0.1, 0.5, 0.7, and 0.8 at frequency of ~15 Hz. Fatigue test pieces were also tested in both orientations. The crack growth was monitored using the compliance technique.

## 3. Results and Discussion

### 3.1 Monotonic Properties

Tensile and fracture toughness results and the corresponding standard deviation values ( $\delta$ ) are presented in Table 2. The



**Fig. 1** Schematic representation of testpiece orientation used in fracture toughness and fatigue crack propagation tests.

**Table 2 Tensile and fracture toughness results**

Orientation	UTS, MPa	$S_{ys}$ , MPa	RA, %	$\epsilon_t$ , %	$K_{IC}$ , MPa.m <sup>1/2</sup>
L-T	469 (13.3)	395 (13.0)	19 (3.4)	16 (1.2)	50.5 (0.9)
T-L	472 (12.3)	398 (10.9)	15 (0.8)	11 (0.5)	37.1 (0.4)

Note: The numbers in parenthesis refer to  $\delta$  values. UTS, ultimate tensile strength

results are the average values of four tests. For all fracture toughness test pieces, provisional  $K_Q$  conforms to the validity conditions for the plane strain fracture toughness  $K_{IC}$ , as given by ASTM 1820-01 (Ref 15). The investigated 7475-T7351 aluminum alloy presented similar strength values in both orientations studied.

However, when ductility and fracture toughness values are simultaneously analyzed, a different picture emerges. For T-L orientation, where the fracture takes place along the rolling direction, on the SL plane (as observed in Fig. 1), a distinguished reduction in both ductility and fracture toughness values was observed. Micrographic analysis showed that the ST plane presented randomly distributed particles within the microstructure, while the SL plane (Fig. 2) presented clustered second phase particles aligned with the rolling direction, which is likely to favor a reduction of ductility values for test pieces tested in the T-L orientation, by creating a weaker path for crack growth. Several studies have shown that particle clustering contribute to the failure process by imposing high levels of plastic constraint to the matrix adjacent to the particles, raising stress triaxiality to a level significantly higher than that normally associated with matrix failure (Ref 18–20) providing favorable paths for linkage of damage ahead of the crack tip (Ref 21). Additionally, when the crack grows along the rolling direction, it traverses a smaller number of grain boundaries, spending less specific energy for crack growth.

### 3.2 Stress Ratio and Test Piece Orientation Effects

Before analyzing the efficiency of Walker's approach in collapsing the fatigue data of the present work, it is convenient to analyze first the effects of both stress ratio and test piece orientation on the fatigue crack growth resistance of 7475-T7351 aluminum alloy.

Figure 3 depicts the effects of different  $R$  ratios applied during the fatigue crack growth tests performed in the 7475-

T7351 aluminum alloy. In L-T orientation (Fig. 3a), there was little difference in  $da/dN$  values within the Paris region. Additionally, the Paris exponent,  $m$ , remains nearly constant for all  $R$  ratios imposed to the tests, as observed in Table 2. However, in T-L orientation (Fig. 3b), considering the same applied  $\Delta K$ ,  $da/dN$  values diverge steeply when the different  $R$  ratio curves are compared. Assuming that closure levels are similar for both orientations, it is suggested that this result is due to the fact that the T-L orientation testpieces are likely to be more affected by the contribution of monotonic modes of fracture because the material exhibited lower toughness values in this orientation, as discussed previously. Indeed,  $m$  values for T-L test pieces are higher than those obtained for the L-T orientation increased significantly as the  $R$  ratio increases (Table 3), giving support to the idea of a stronger  $K_{max}$  dependence.

Direct comparisons between L-T and T-L orientation testpieces, tested at different  $R$  ratios, are presented in Fig. 4. It was observed that for the  $R$  ratio of 0.1 (Fig. 4a), the effect of testpiece orientation on  $da/dN$  values is not significant in the Paris region. However, for higher applied  $R$  ratios (Fig. 4b-d), testpieces tested in the T-L orientation presented higher  $da/dN$  values for intermediate to high applied  $\Delta K$  levels. Again, these results can be rationalized by the fact that the T-L orientation testpieces presented inherently lower toughness leading to higher slopes in the Paris region, i.e., higher  $m$  values.

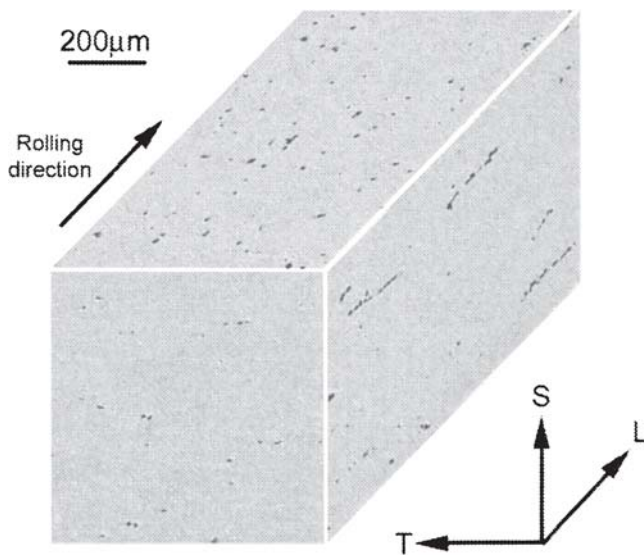


Fig. 2 Micrographic analysis of second phase particles

### 3.3 Walker's Model

Figure 5(a) shows the result of Walker's model applied to the fatigue crack growth data of L-T orientation testpieces. It is observed that the curves collapsed into a narrow band and consequently the model was suitable to predict  $da/dN$  values for any given  $R$  ratio in this orientation. On the other hand, when Walker's model was applied to the T-L orientation testpieces, instead of collapsing the data into a narrow band equivalent to  $R = 0$  curve, the data shifted apart, moving to the left hand side of the graph, as depicted in Fig. 5(b).

These results clearly demonstrate the unsuitability of Walker's model in describing the  $R$  ratio effects when  $m$  values are not constant. The Paris exponent used in  $w$  calculations was assumed to be an average of  $m$  values for different  $R$  ratios, as proposed by Zheng et al. (Ref 13). However, it was seen that  $m$  values are dependent on  $R$  for T-L test pieces. Therefore a simple modification to Walker's model is proposed below, which incorporates the  $R$  dependence on  $m$ .

For a specific value of  $R$ , the fatigue crack growth rate,  $da/dN$ , can be given by the well-known Paris-Erdogan equation:

$$\frac{da}{dN} = C(\Delta K)^m \quad (\text{Eq 6})$$

Combining Eq 3 with Eq 6 yields:

$$C(\Delta K)^m = C_0(1-R)^{-(1-w)m_0}(\Delta K)^{m_0} \quad (\text{Eq 7})$$

If the fatigue crack propagation curves at different  $R$  ratios are parallel (i.e.,  $m$  is independent of the  $R$  ratio), then  $m = m_0$ . The Eq 7 simplifies back to Eq 4.

Rearranging Eq 7:

$$(1-R)^{-(1-w)m_0} = \frac{C}{C_0}(\Delta K)^{m-m_0} \quad (\text{Eq 8})$$

Applying logarithmic transformation on both sides:

$$-(1-w)m_0 \log(1-R) = \log C - \log C_0 + (m-m_0)\log(\Delta K) \quad (\text{Eq 9})$$

Finally, Walker's exponent can be written as:

$$w = 1 + \frac{\log C - \log C_0 + (m-m_0)\log(\Delta K)}{m_0 \log(1-R)} \quad (\text{Eq 10})$$

Equation 10 indicates that Walker's exponent is no longer a simple material constant, but it depends on both the  $R$  ratio and  $\Delta K$  levels. This requires the knowledge of  $C_0$ ,  $m_0$ , and  $m = f(R)$

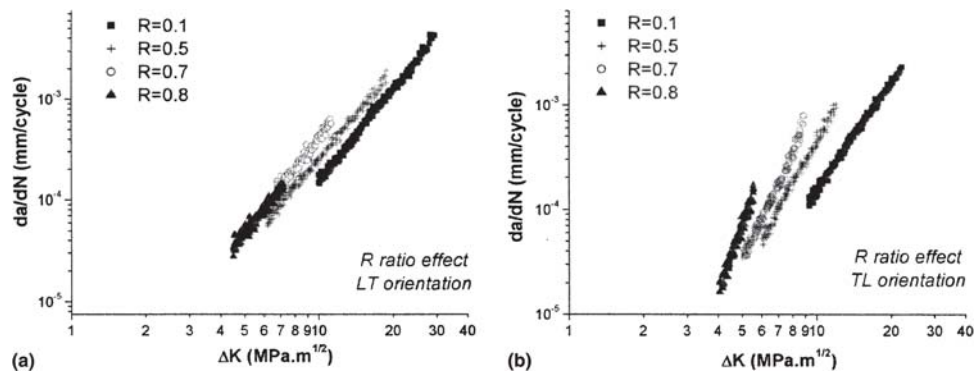
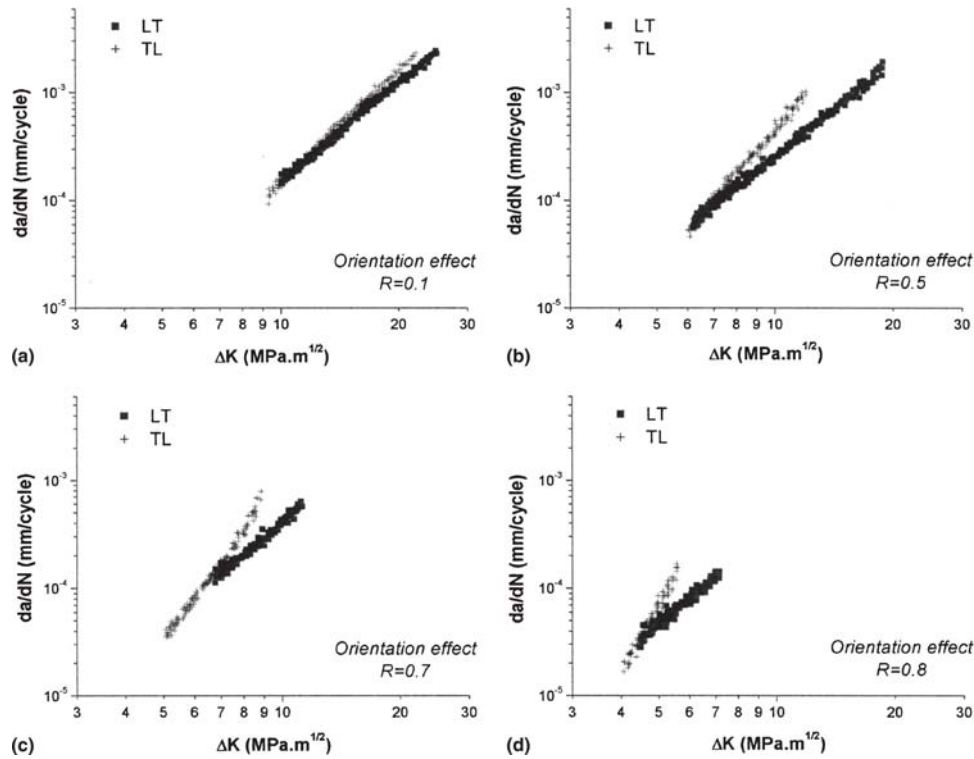


Fig. 3  $R$  ratio effects on  $da/dN$  values for SAE AMS 7475-T7351 aluminum alloy: (a) L-T orientation and (b) T-L orientation

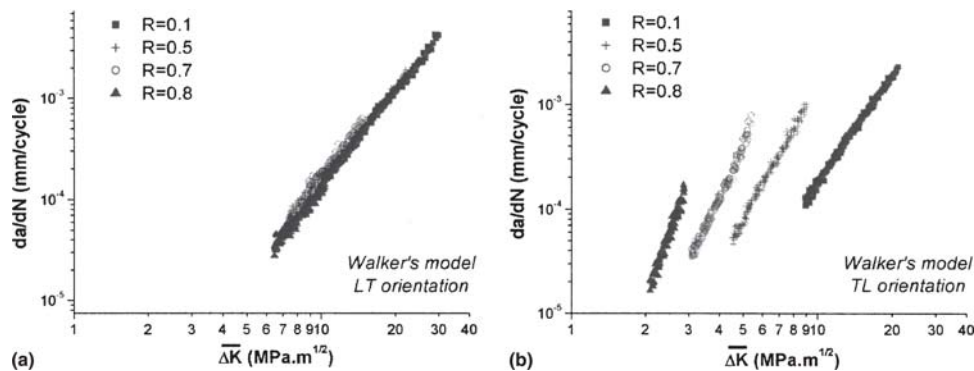
**Table 3 Paris coefficient and exponent for T-L and L-T test piece orientations**

Orientation	Parameter	$R = 0.1$	$R = 0.5$	$R = 0.7$	$R = 0.8$
L-T	m	3.02	2.90	3.00	2.93
	C (mm/cycle)	$1.43 \times 10^{-7}$	$3.17 \times 10^{-7}$	$3.98 \times 10^{-7}$	$4.21 \times 10^{-7}$
T-L	m	3.47	4.33	5.01	6.30
	C (mm/cycle)	$5.10 \times 10^{-8}$	$2.14 \times 10^{-8}$	$1.02 \times 10^{-8}$	$2.73 \times 10^{-9}$

Note: L-T, longitudinally to the rolling direction; T-L, transversely to the rolling direction



**Fig. 4** Test piece orientation effects on  $da/dN$  values of SAE AMS 7475-T7351 aluminum alloy: (a)  $R = 0.1$ , (b)  $R = 0.5$ , (c)  $R = 0.7$  and (d)  $R = 0.8$



**Fig. 5** Walker's model applied to fatigue crack growth data: (a) L-T orientation and (b) T-L orientation

to be calculated. As a first approach, these can be obtained through simple regression analyses of curve plotted in the polynomial function. The obtained results for the present alloy are presented in Fig. 6. The constant  $C$  was found to be very well

correlated to the  $R$  ratio by a parabolic equation, as seen in Fig. 6(a). Two different polynomial equations were used to adjust  $m$  values, as seen in Fig. 6(b). It was observed that the second-degree polynomial presented the best correlation coefficient.

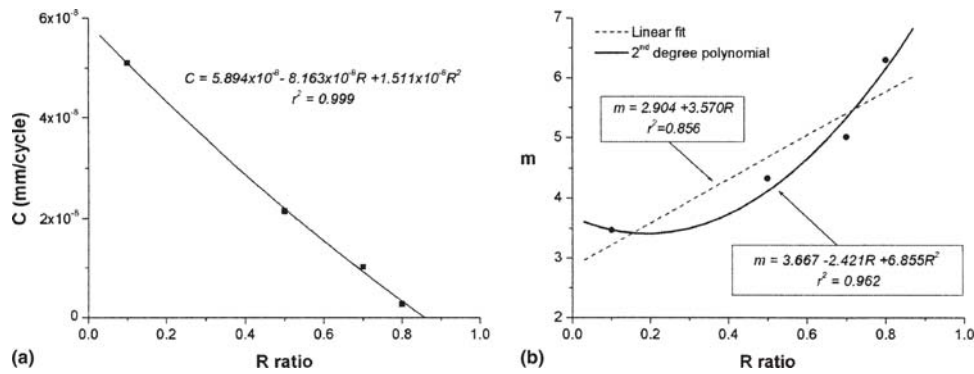


Fig. 6 Dependence of (a)  $C$  and (b)  $m$ , on  $R$  for T-L orientation test pieces

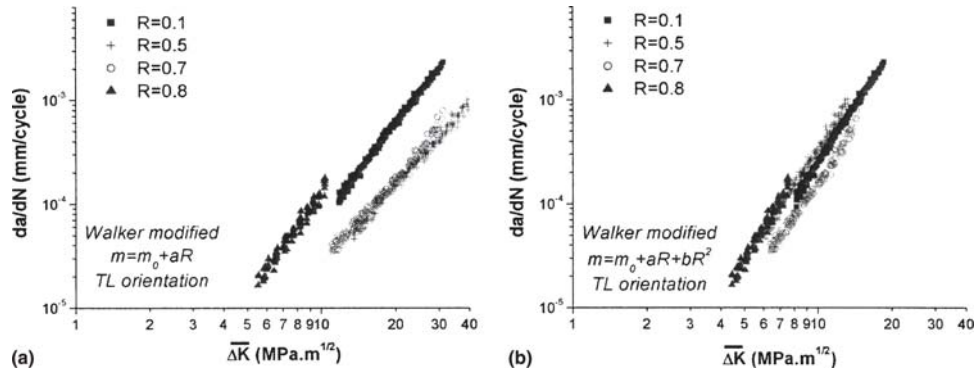


Fig. 7 Results of Walker's model modified to take into account  $R$  ratio effects on  $m$  values: (a) using a linear fit ( $m = m_0 + aR$ ) and (b) using a second-degree polynomial ( $m = m_0 + aR + bR^2$ ).

When the linear fit equation presented in Fig. 6(b) is used in Eq 10, a significant improvement in Walker's model was obtained. As depicted in Fig. 7(a), the curves approached to each other, towards the  $R = 0$  curve. However, as seen in Fig. 7(b), a further improvement was obtained when  $m$  was correlated to  $R$  by a second-degree polynomial, which exhibits a higher correlation coefficient than the linear fit. In this case, the curves obtained at different  $R$  ratios collapsed within a narrower band.

Although the use of a polynomial function to describe  $m$  as a function of  $R$  resulted in an improvement in Walker's model, the data is not perfectly collapsed. In this sense, a different approach was used to describe  $m$  as a dependent variable on  $R$ . Previous work (Ref 22) has shown that  $m$  and  $C$  can be correlated by the following empirical relationship:

$$m = a + b \log C \quad (\text{Eq 11})$$

where  $a$  and  $b$  can be obtained through regression analysis of the  $m$  versus  $\log C$  plot.

In this case, the effect of  $R$  on  $m$  is taken into account indirectly by the Paris coefficient. Therefore, if  $m$ , as given in Eq 11, is placed in Eq 10, the following equation for Walker's exponent is obtained:

$$w = 1 + \frac{(\log C - \log C_0)(1 + b)\log(\Delta K)}{(a + b \log C_0)\log(1 - R)} \quad (\text{Eq 12})$$

Figure 8 shows  $m$ - $\log C$  plot for the material of the present work. One can observe that an excellent correlation coefficient

was obtained. Consequently, when Eq 12 is used to calculate  $w$  of Walker's model, the fatigue crack propagation data of the T-L orientation testpieces collapsed into a perfectly narrow band, as depicted in Fig. 9, thus allowing predictions to be made with a larger degree of precision than the previous attempts. The results presented in Fig. 7 and 9 suggest that the success in collapsing the fatigue crack growth data of  $K_{max}$  dependent materials into a narrow band, strongly depends on the correct choice of the equation describing the relationship between  $C$ ,  $m$ , and  $R$ . When a simple average of  $m$  values is considered (Fig. 5b), the correlation is very poor and the model simply does not work. As the correlation factor increases, the model improves significantly. It is important to emphasize that these results are limited to the data of the present work although the Eq 12 is analytically consistent, it depends on empirical relationships. Therefore, its general applicability must be tested in other materials whose  $C$  and  $m$  values are dependent on  $R$ .

## 4. Conclusions

The following conclusions can be drawn in relation to the SAE AMS 7475-T7351 aluminum alloy:

- 1) T-L orientation test pieces presented lower ductility as well as fracture toughness values than the L-T orientation. This was attributed to the precipitation of second phase particles aligned with the rolling direction, which creates a weaker

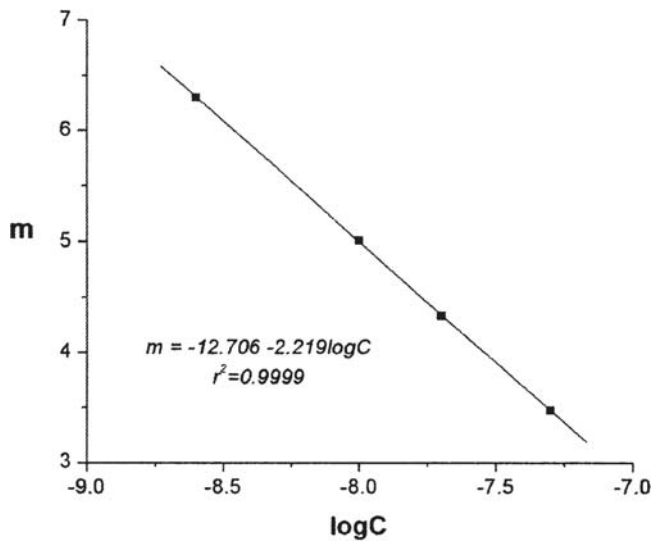


Fig. 8  $m$ - $\log C$  plot for T-L orientation testpieces

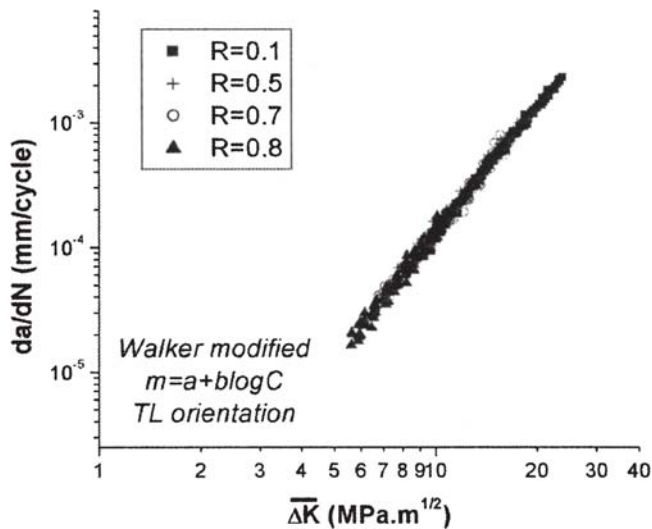


Fig. 9 Results of Walker's model modified using  $m = a + b \log C$  and applied to fatigue crack growth data of T-L orientation test pieces

path for crack growth. Additionally, the crack must traverse a smaller number of grain boundaries along the fracture plane, spending less specific energy for cracking. As a consequence, during the fatigue crack propagation tests, T-L testpieces exhibited a stronger  $K_{\max}$  dependence, resulting in higher  $m$  values within the Paris region.

- Walker's model is able to collapse fatigue crack propagation data of L-T test pieces at different  $R$  ratios. However, for the T-L orientation, due to the  $R$  dependency on  $m$ , the simple approach of averaging  $m$  values for the calculations of Walker's exponent proved to be inefficient.
- For T-L testpieces, when Walker's model is modified by considering both  $C$  and  $m$  as functions of the  $R$  ratio, the fatigue crack growth data collapses within a narrow band, thus allowing predictions to be made satisfactorily. The collapsed band is even narrower if the empirical relation  $m = a + b \log C$  is used instead of simple polynomial equations due to a better correlation coefficient. Therefore, the success in collapsing the fatigue data proved to be strongly

dependent on the correct choice of the function describing the association of  $m$ ,  $C$ , and  $R$  ratio.

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